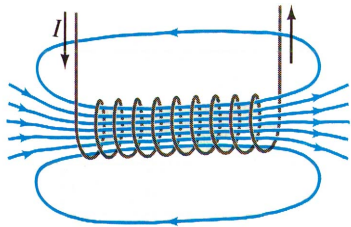
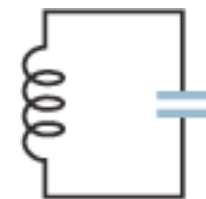
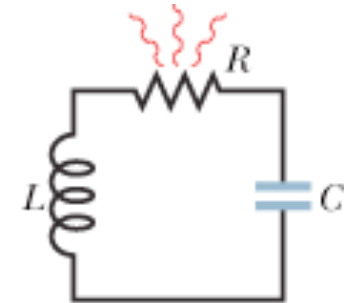


# Physics 2102



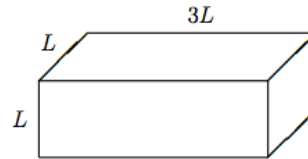
## Exam review Inductors, EM oscillations



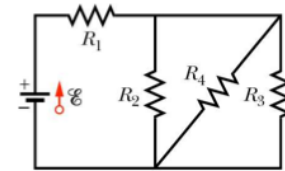
(a)

# Exam review

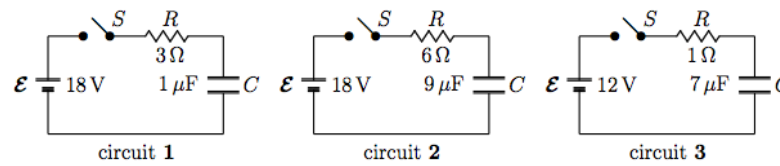
Q1: 75.7



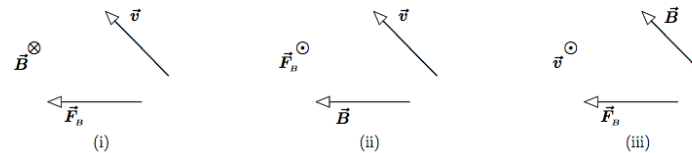
P1: 61.6



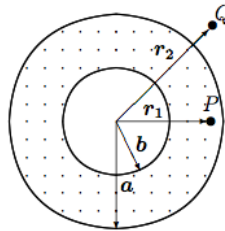
Q2: 67.2



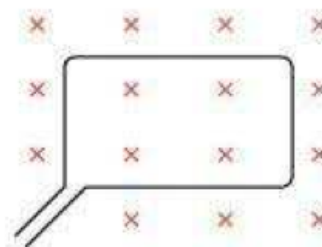
Q3: 79.2



P2: 58.2

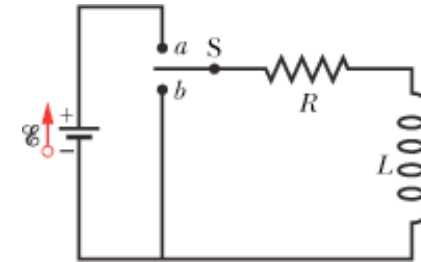
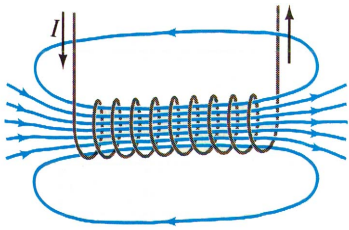


P3: 52.2



$$B = 0.64 - 4.0 t^2$$

# Inductors



- Inductance definition:  $L = N\Phi_B/I$
- Solenoid inductance:  $L = \mu_0 n^2 A l$
- Induced emf (voltage) across an inductor is  $\mathcal{E} = -L di/dt$
- In an RL circuit, we can “charge” the inductor with a battery until there is a constant current, or “discharge” the inductor through the resistor. Time constant is  $L/R$ .

$$i = \frac{\mathcal{E}}{R} \left( 1 - e^{-t/\tau L} \right) \quad (\text{rise of current}). \quad i = i_0 e^{-t/\tau L} \quad (\text{decay of current}).$$

- An inductor stores magnetic potential energy:  $U_B = Li^2/2$
- Energy density stored in a magnetic field is  $u_B = B^2/2\mu_0$

# EM oscillations

- An LC combination produces an electrical oscillator, the natural frequency of oscillator :  $\omega = 1/\sqrt{LC}$
- Total energy in circuit is conserved: switches between energy stored in capacitor (electric energy) and in inductor (magnetic energy).
- If a resistor is included in the circuit, the total energy decays (is dissipated by R).

$$q = Q \cos(\omega t + \phi) \quad (\text{charge}),$$

$$i = -\omega Q \sin(\omega t + \phi) \quad (\text{current}),$$

